

Decomposing definiteness: Effects of delayed quantification in descriptions

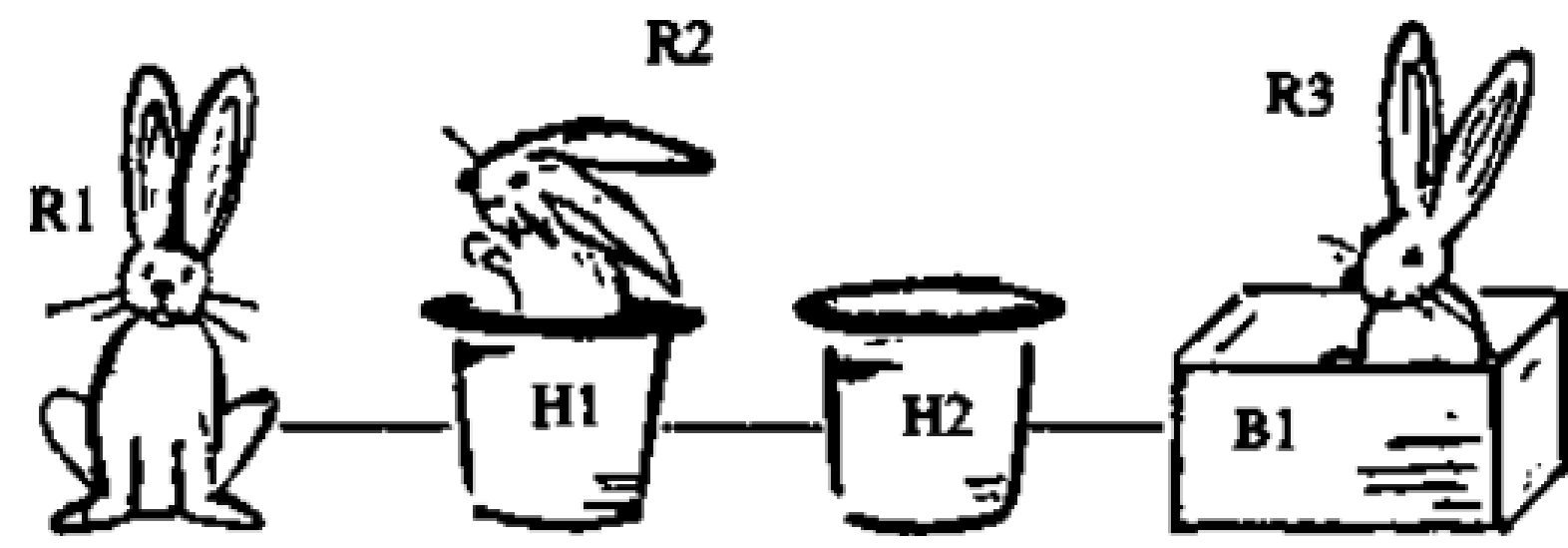
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Semantics and Linguistic Theory 26



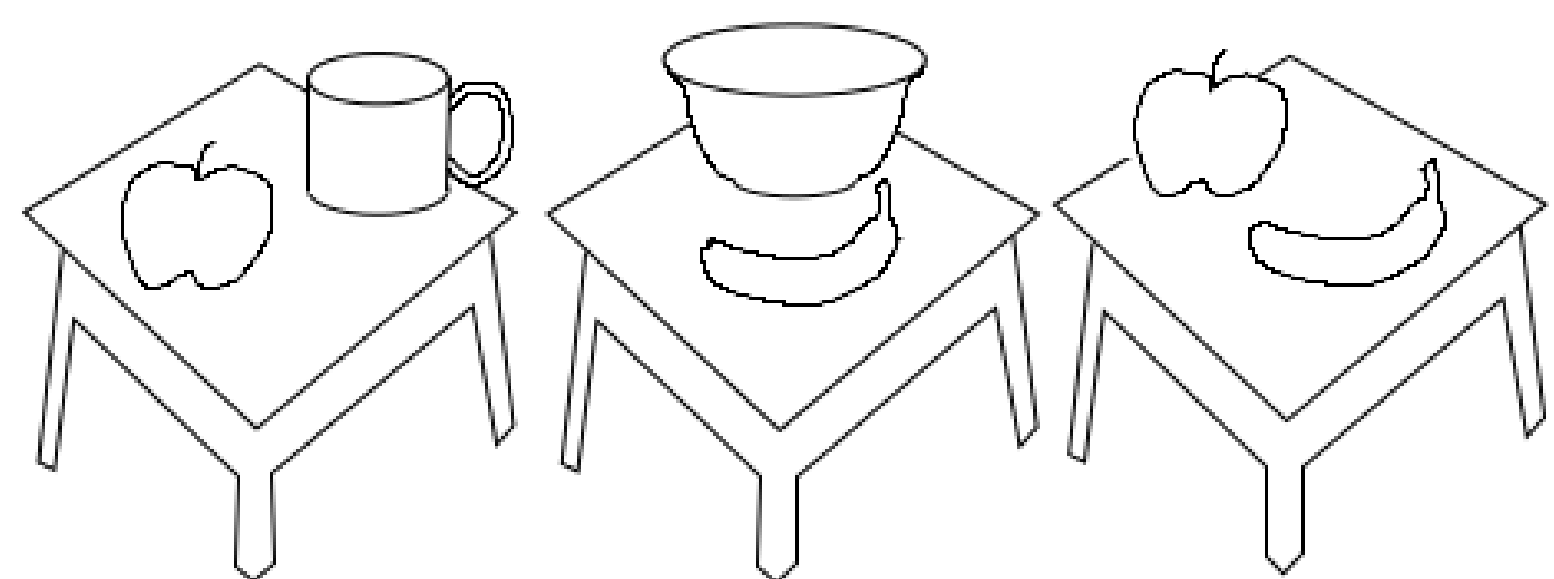
Haddock: Polyadic uniqueness



- (1) the rabbit in the hat
- [the rabbit in u] $_v$
 - [the hat v is in] $_u$

Haddock's (1987) observation: the description in (1) refers to R2, despite undefinedness of 'the hat'

Stone & Webber (1996): indeed, polyadicity totally general; e.g., (2) refers to the rightmost table



- (2) the table with the apple and the banana
- [the table with u and v] $_w$
 - [the apple s.t. w is with it and v] $_u$
 - [the banana s.t. w is with u and it] $_v$

Haddock's intuition: description as Constraint Satisfaction Problem

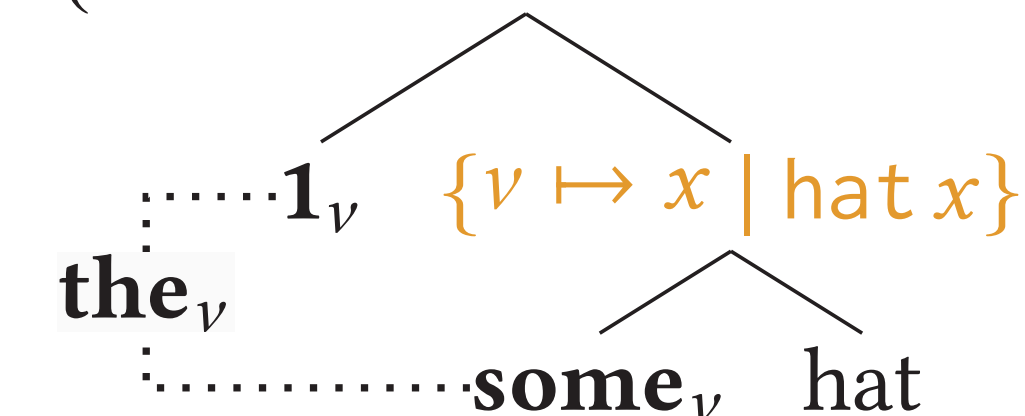
x	y
rabbit x	
in y x	
hat y	

How to derive compositionally?

Decomposed definite

Hypothesis: Definite determiner lexically factored into distinct referent-introducing and quantificational components

$$\begin{cases} G & \text{if } |\{g \ v \mid g \in G\}| = 1 \\ \# & \text{otherwise} \end{cases}$$

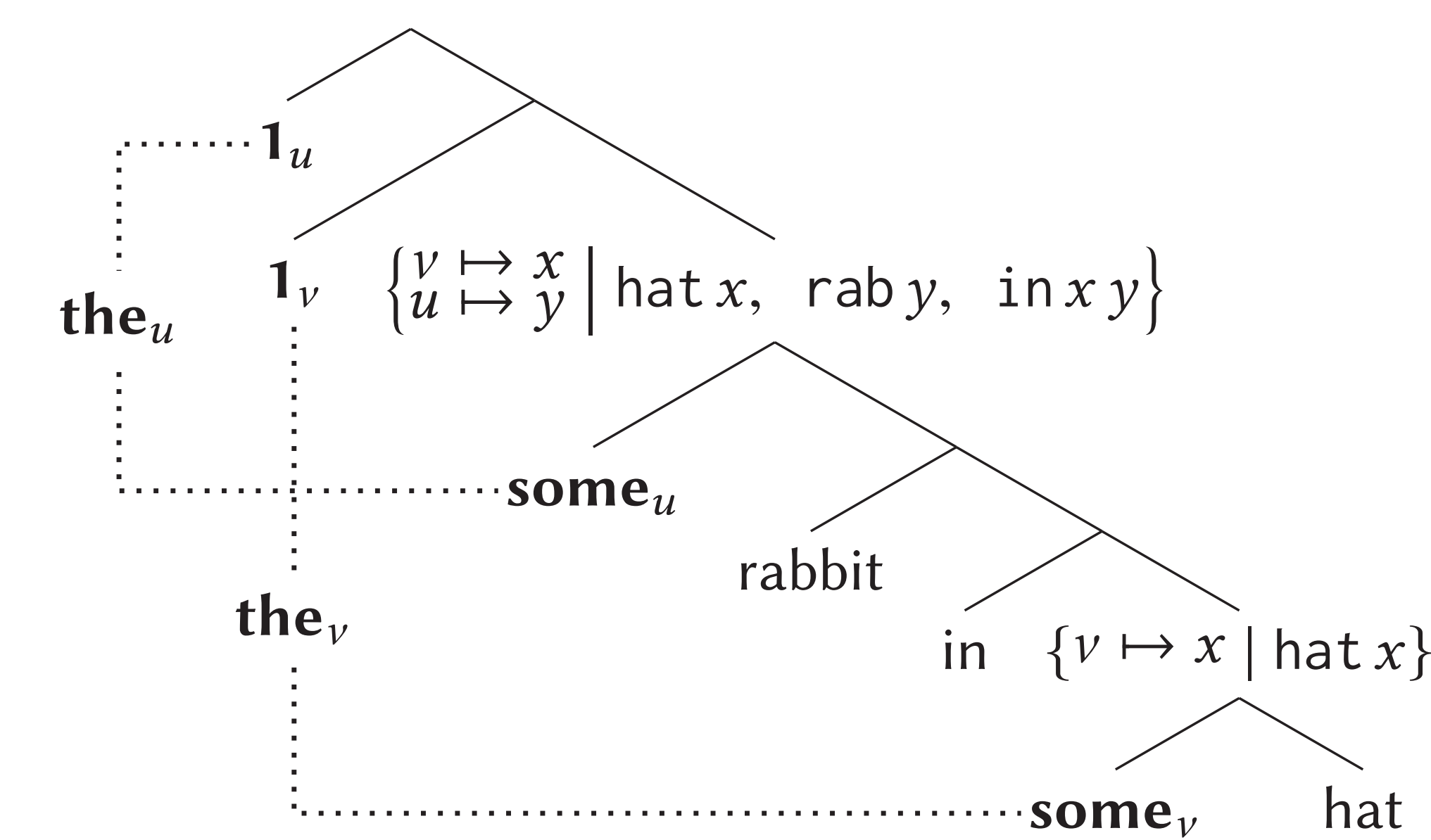


Fragment

Item	Type	Denotation
some_u	$(e \rightarrow \mathcal{D}_t) \rightarrow \mathbb{K}_e$	$\lambda c \lambda k \lambda g. \bigcup \{k \ x \ g' \mid x \in \mathcal{D}_e, \langle T, g' \rangle \in c \ x \ g^{u \mapsto x}\}$
$\mathbf{1}_u$	\mathbb{F}_α	$\lambda m \lambda g. \{g' \ u \mid \langle a, g' \rangle \in m \ g\} = 1. \ m \ g$
the_u	$\mathbb{K}_{(e \rightarrow \mathcal{D}_t) \rightarrow \mathbb{K}_e}$	$\lambda k \lambda g. \mathbf{1}_u (k \ \text{some}_u) \ g$
est_u	$(e \rightarrow e \rightarrow t) \rightarrow \mathbb{F}_\alpha$	$\lambda o \lambda m \lambda g. \{\langle a, g' \rangle \in m \ g \mid \neg \exists \langle b, h' \rangle \in m \ g. o(h' \ u) (g' \ u)\}$
\mathbf{M}_v	\mathbb{F}_α	$\text{est}_u (\sqsubset) \equiv \lambda m \lambda g. \{\langle a, g' \rangle \in m \ g \mid \neg \exists \langle b, h' \rangle \in m \ g. h' \ u \sqsubset g' \ u\}$

$$\begin{aligned} \mathbb{K}_\alpha^p &\equiv (\alpha \rightarrow \rho) \rightarrow \rho \\ \mathbb{D}_\alpha &\equiv g \rightarrow \{\alpha * g\} \\ \mathbb{F}_\alpha &\equiv \mathbb{D}_\alpha \rightarrow \mathbb{D}_\alpha \end{aligned}$$

Derivations



(3) the rabbit in the hat

Step 1: The indefinite component of 'the' builds a set of potential witnesses for the nominal, here, 'hat'

Step 2: The outer indefinite constrains this set to just those hats with rabbits in them, and adds a discourse marker to the model associated with the new rabbits

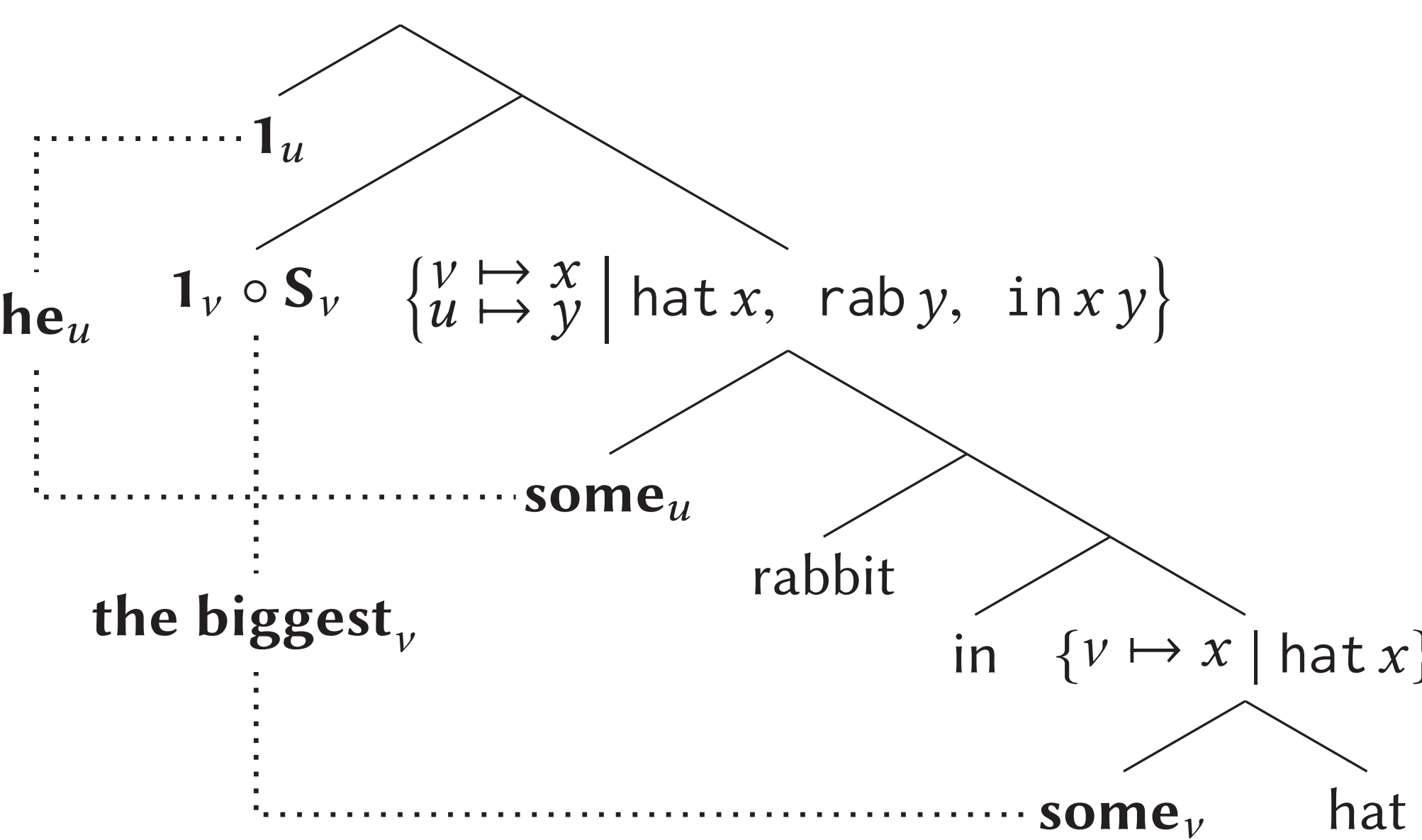
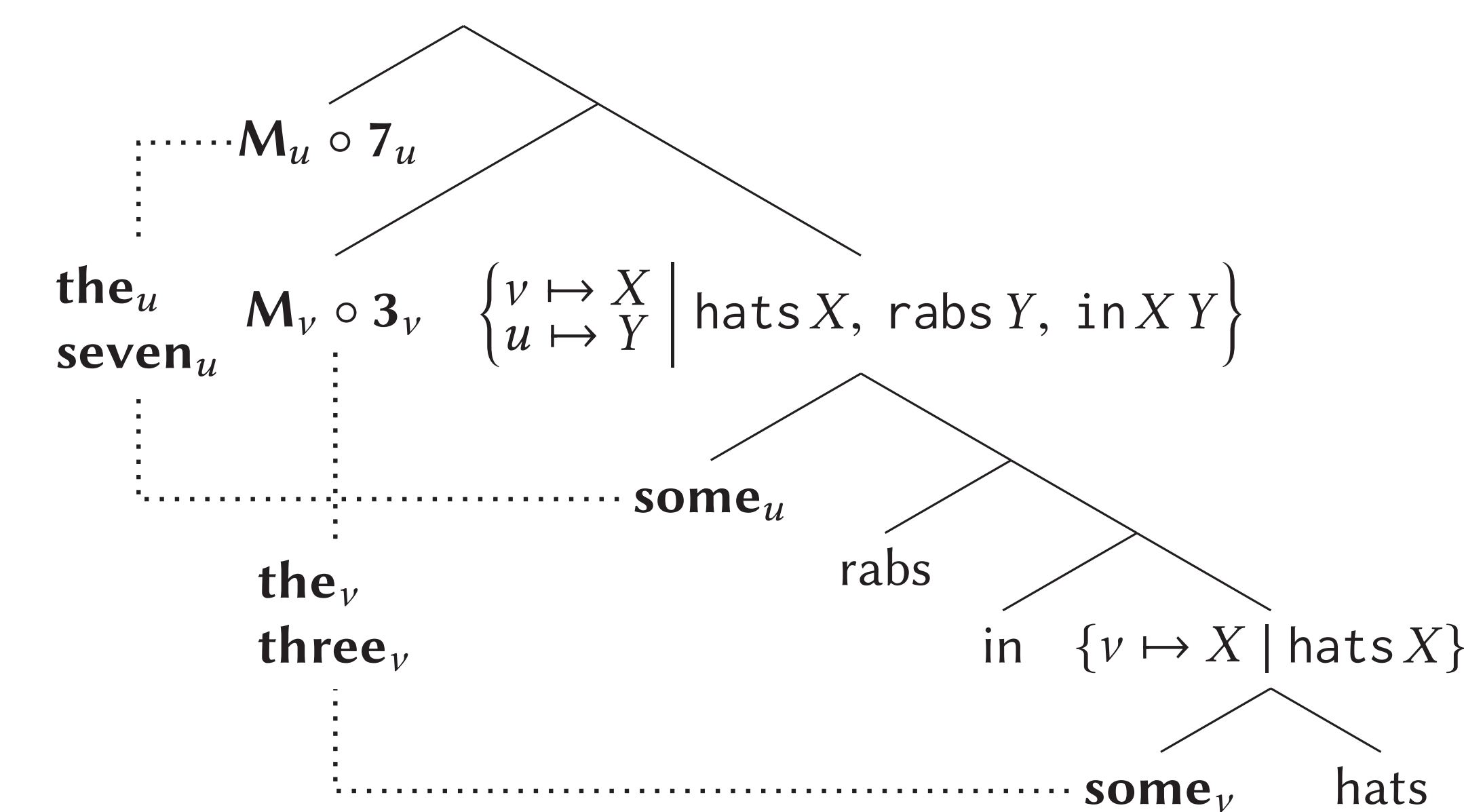
Step 3: Only then do the uniqueness checks take action, ensuring a unique hat-with-rabbit and rabbit-in-hat, respectively

(4) the rabbit in the biggest hat

Steps 1–2: As before

Step 3: The superlative operator filters out alternatives that are dominated in the choice of v , i.e. those that assign v to a smaller individual than some other alternative does

Step 4: The cardinality tests then ensure a unique rabbit in that unique largest rabbit-containing hat



(5) the seven rabbits in the three hats

Steps 1–2: As before

Step 3: $\mathbf{3}_v$ guarantees that the alternative outputs contain, across them, three distinct atomic hats stored at v ; \mathbf{M}_v discards any outputs that don't map u to the entire triplet

Step 4: $\mathbf{7}_u$ tests that cumulatively contained in these three entities are seven rabbits; \mathbf{M}_u leaves only the outputs mapping u to the total heptatomic hare

Superlatives

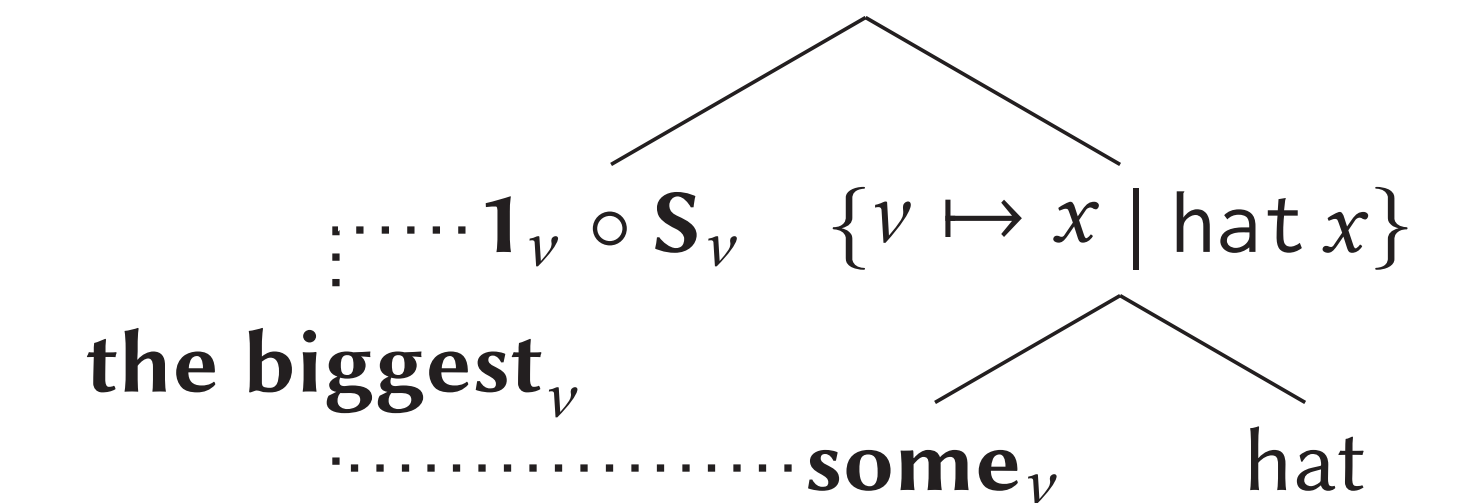


(6) the rabbit in the biggest hat

- [the rabbit in x] $_y$
- [the hat bigger than any hat with a non- y rabbit] $_x$
- \approx 'the rabbit in the biggest hat with a rabbit in it'

$$S_u = \lambda G. \{g \in G \mid \neg \exists g' \in G. \text{size}(g' \ u) > \text{size}(g \ u)\}$$

$$\mathbf{1}_v \{v \mapsto x \mid x = \iota x: \text{hat. } \neg \exists y: \text{hat. } y > x\}$$



Numerals

- (7) the seven rabbits in the three hats
- [the rabbits in X] $_Y$; $|Y| = 7$
 - [the hats Y are in] $_X$; $|X| = 3$
 - \approx 'the 7 rabbits in the 3 hats with rabbits in them'

Numerals at an index count the number of distinct atoms across alternatives

$$\mathbf{3}_u = \lambda G. \begin{cases} G & \text{if } |\bigcup \{\text{atoms}(g \ u) \mid g \in G\}| = 3 \\ \emptyset & \text{otherwise} \end{cases}$$

Maximality as superlative: eliminates any alternatives that are dominated by others in their choice of u

$$M_v = \lambda G. \{g \in G \mid \neg \exists g' \in G. g \ u \sqsubset g' \ u\}$$

References

Haddock, N. 1987. Incremental interpretation and Combinatory Categorical Grammar. *10th International Joint Conference on Artificial Intelligence*.
 Stone, M. & B. Webber. 1998. Textual economy through close coupling of syntax and semantics. *INLG*, 178–187.
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